## Setting up and Solving in Excel

Here is a good way to organize the power distribution problem. I've used one array of constants for the costs, and reserved space for the array of variables $\left(x_{i j}\right)$. Then we keep track of the supplies down the last column (sums), and the demands across the bottom row. The total cost is then a "dot product" between the cost array and variable array (as shown in the formula boxes). (NOTE: To type an equal sign and not have a formula, type a blank space first). You can download this from our class website as a template.


To set up the solver:

- We want to minimize cell J17
- The conditions are that the column sums (in cells D15 to G15) are equal to the demand (in cells D17 to G17), and the row sums (in cells H12-H14) are equal to the supply (in cells J12-14). All told, there are then $4+3=7$ equality constraints.

The solver should give you the following result:

|  | A | B | C | D | E | F | G | H | 1 | J |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Power Distribution Problem (Example from Text, 7.1) |  |  |  |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |  |  |  |  |
| 3 |  | Unit Cost |  |  |  |  |  |  |  |  |
| 4 |  |  |  | City A | City B | City C | City D |  |  |  |
| 5 |  |  | Plant 1 | 8 | 6 | 10 | 9 |  |  |  |
| 6 |  |  | Plant 2 | 9 | 12 | 13 | 7 |  |  |  |
| 7 |  |  | Plant 3 | 14 | 9 | 16 | 5 |  |  |  |
| 8 |  |  |  |  |  |  |  |  |  |  |
| 9 |  |  |  |  |  |  |  |  |  |  |
| 10 |  | Distribution |  |  |  |  |  |  |  |  |
| 11 |  | (KwH) |  | City A | City B | City C | City D | Total Sent |  | Supply |
| 12 |  |  | Plant 1 | 0 | 10 | 25 | 0 | 35 | $=$ | 35 |
| 13 |  |  | Plant 2 | 45 | 0 | 5 | 0 | 50 | $=$ | 50 |
| 14 |  |  | Plant 3 | 0 | 10 | 0 | 30 | 40 | $=$ | 40 |
| 15 |  |  | Total Receive | 45 | 20 | 30 | 30 |  |  |  |
| 16 |  |  |  | $=$ | $=$ | $=$ | $=$ |  |  | Total Cost: |
| 17 |  |  | Demand | 45 | 20 | 30 | 30 |  |  | 1020 |
| 10 |  |  |  |  |  |  |  |  |  |  |

