

**Math 358-Week Three Homework**

Due September 25 (Friday) in class.

1. Do Problems 1.4 1, 3, 4, 5
2. How many ways are there to pick 10 balls from a set of 12 green balls, 12 red balls, 2 blue balls, and 1 white ball?
3. How many arrangements of 6 0's 5 1's, and 4 2's are there in which
  - (a) The first 0 precedes the first 1?
  - (b) The first 0 precedes the first 1 which precedes the first 2?
4. Suppose that we have a set,  $\mathcal{A}$ , of subsets of  $\{1, 2, \dots, n\}$ , such that, for  $A_i, A_j \in \mathcal{A}$ ,  $A_i \cap A_j \neq \emptyset$ . Prove that  $|\mathcal{A}| \leq 2^{n-1}$ . Find an example where equality holds.

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