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True. See pg. 8.

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False. To be equivalent, the linear systems must have the same solution set.
- ④ A consistent system of linear equations has one or more solutions.
True. This is the definition of a *consistent* system.